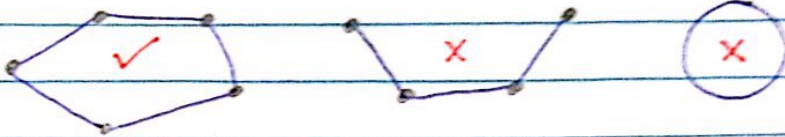
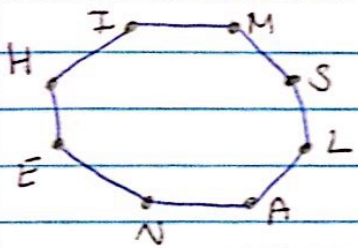


Polygons

① **Polygon**: Closed figure; has at least 3 sides that intersect only endpoints



② **Naming Polygons**: Start at one endpoint & include every vertex → clockwise or counterclockwise



HIMSLANE

→ Don't have to put a "figure" in front of name b/c # of letters tells size (if bigger than 3)

* Doesn't matter where you start as long as you go in order

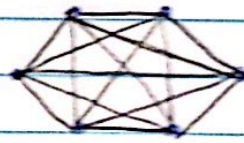
③ **Classifying Polygons**:

Size

- 3 triangle
- 4 quadrilateral
- 5 pentagon
- 6 hexagon
- 7 heptagon / septagon
- 8 octagon
- 9 nonagon
- 10 decagon
- 12 dodecagon
- "n" n-gon
- 18 18-gon

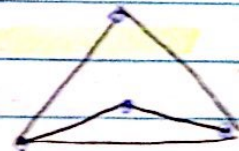
Convexity

convex:



all diagonals drawn INSIDE polygon


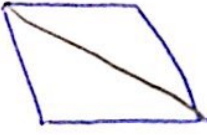


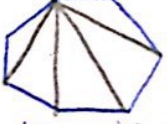
concave:



at least 1 diagonal is OUTSIDE polygon

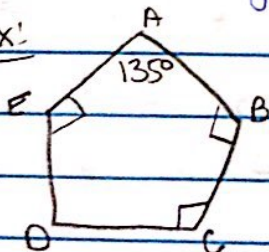
The Sum of Polygon Angles Measures

formed by
non overlapping
diagonals

Polygon	Number of Sides	Number of Triangles Formed	Sum of the Interior Angle Measures
 Triangle	3	1	180°
 Quadrilateral	4	2	360°
 Pentagon	5	3	540°
 Hexagon	6	4	720°
 heptagon / septagon	7	5	900°
No Figure	n	$n-2$	$(n-2)180$

④ Polygon Sum: the sum of the interior angles of an "n-gen" is $(n-2)180$

Ex:

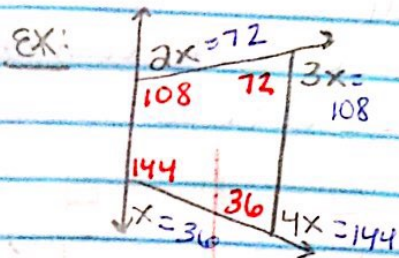


Find $m\angle D$

$$90 + 90 + 90 + 135 + D = 540$$

$$m\angle D = 135$$

5) Polygon exterior \angle sum: the sum of the exterior \angle s of any polygon is **360**



Find the value of x and each INTERIOR \angle .

$$2x + 3x + 4x + x = 360$$

$$x = 36$$

★ Interior \angle & Exterior \angle s are supplementary \rightarrow form a linear pair

6) Types of polygons:

- Equilateral - all sides are \cong (rhombus)
- Equiangular - all \angle s are \cong (rectangle)
- Regular - all sides & \angle s \cong (square)

★ for regular polygons: $n(\overset{\uparrow}{\# \text{ of sides}} \overset{\uparrow}{\text{ext } \angle}) = 360$

EX:

(a) if the measure of one interior \angle of a regular polygon is 150° , find the # of sides.

$$\text{int} = 150 \quad \text{ext} = 30 \quad n(30) = 360 \quad \boxed{n = 12 \text{ (dodecagon)}}$$

(b) If the measure of one exterior \angle of a regular polygon is 72° , find the # of sides

$$\text{ext} = 72 \quad n(72) = 360 \quad \boxed{n = 5 \text{ (pentagon)}}$$

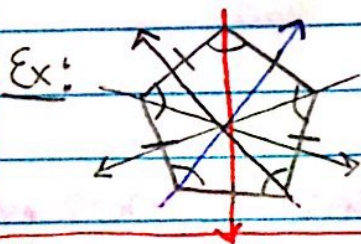
(c) if the measure of one interior \angle of a regular polygon is 135° , find the # of sides, one exterior, sum of interior, & sum of exterior

$$n(45) = 360 \quad n = 8 \quad \text{ext} = 45^\circ \quad (8-2)180 = 1080^\circ \quad 360^\circ$$

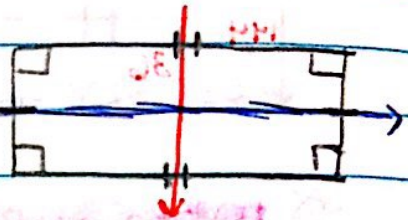
⑦ Symmetry:

Line Symmetry - half of the figure is a mirror image of the other half

Rotational Symmetry - a figure is its own image for some rotation of 180° or less



Ex:



5 Lines of Symmetry

Rotational: $\frac{360}{\text{\# of "turns"}}$

$$\frac{360}{5} = 72^\circ \text{ Rotational}$$

2 Lines of Symmetry

Rotational: $\frac{360}{\text{"2"}}$

$$= 180^\circ \text{ Rotational}$$